# **Exciting the Bound State through Multiphoton Scattering**

Yinghao Huang

### Background

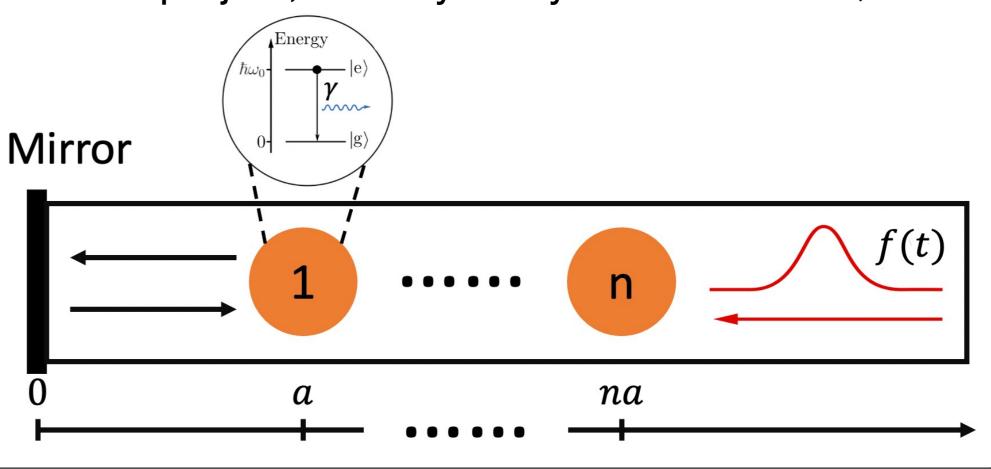
Waveguide Quantum ElectroDynamics (QED) is a growing area of quantum optics investigating the interaction between atoms and photons. The formation of the atom-photon bound state is one of its main features. According to recent research, we can also excite the bound states inside the continuum by taking the delayed feedback. It is one of the potential approaches for future quantum memory devices.

# **Project Aims**

- 1. Find the bound-state trapping probability in the non-Markovian regime of the systems.
- 2. Find the effect of the mirror's property on the dynamics.
- 3. Find the property of the trapping probability.

#### Model

- Identical two-level systems (TLS) with separation sufficient to break down the Markovian approximation are coupled to a semi-infinite onedimensional waveguide.
- A mirror is placed at one end of the waveguide.
- The TLSs are excited via a quantum pulse f(t).
- In our project, we only study the case n = 1, 2.



#### Methods

Find the Hamiltonian of the system

Discretize time in steps (time bins)

Find the coarse-grained volution operator  $U_{2}$ , where

evolution operator  $U_k$ , where  $|\Psi(t_{k+1})\rangle = U_k |\Psi(t_k)\rangle$ 

MPS representation allows us to write any state  $|\Psi\rangle =$ 

 $\sum_{i,j...k} \psi_{i,j...k} | ij ...k \rangle \text{ as } |\Psi\rangle =$   $\sum_{i,j...k} Tr[A^i A^j ...A^k] | ij ...k \rangle$ 

through singular value (Schmidt) decomposition.

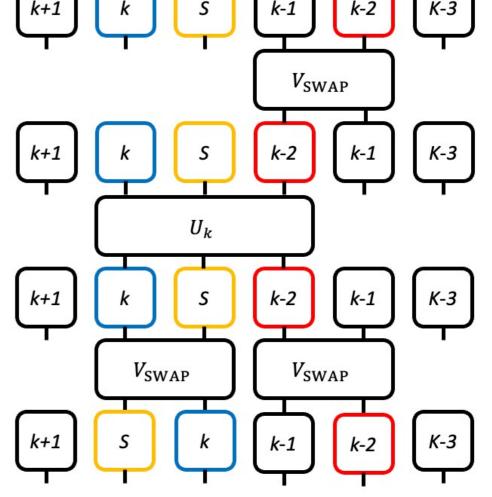
MPS representation deals with quantum mechanics in the Hilbert space with fewer dimensions.

in matrix products states
(MPS) representation
Use MPS

Represent the initial state

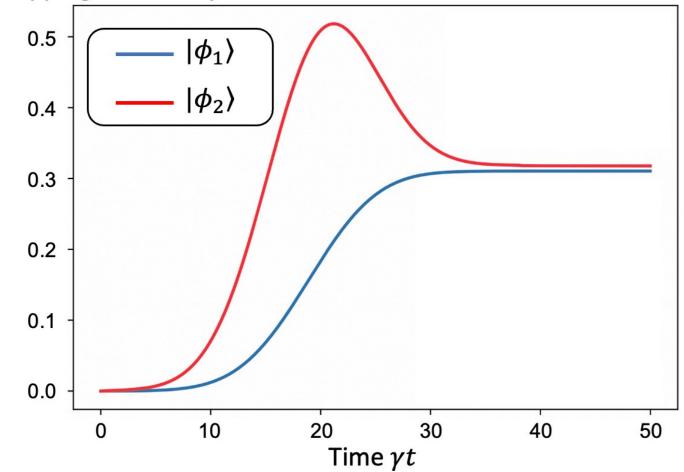
Use MPS, evolution operator and swap operator to simulate the dynamics

| k+1 | k | S | k-2 | K-3 | V\_{SWAP} | V\_{SWAP} | SWAP |

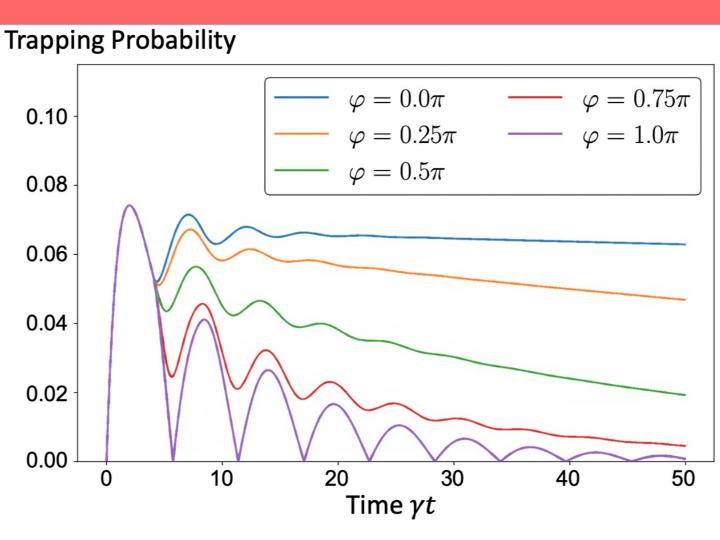


# Time Delay The interaction between TLS and the time bins, for n=1.x

# Trapping Probability Trapping Probability Trapping Probabil



Trapping probability of the two bound states which are corresponded to the two TLSs respectively.  $t_d = 1/2\gamma$ 



The effect of mirror's phase on the trapping probability.  $t_d = 2/\gamma$ 

## **Future**

Our finding suggests that exciting superpositions of the different bound states with different probabilities are possible. And we show the effects of the mirror's property. This can be an important step on the path towards implementing effective quantum memory. Extending our model to the systems with more photons in the incoming quantum pulse will be

interesting.